

# Internal Mobilities in Molten Systems (Na-K)NO<sub>3</sub> and (K-Cs)NO<sub>3</sub>

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*Dedicated to Professor Alfred Klemm on the occasion of his 70th birthday*

Internal mobility ratios in melts of the binary systems (Na-K)NO<sub>3</sub> and (K-Cs)NO<sub>3</sub> have been measured with the Klemm method in a wide range of concentration and temperature. From these and the available data on densities and conductivities, the internal mobilities have been calculated. In both systems the Chemla effect has been observed at relatively high temperature. The internal mobilities of Na<sup>+</sup> and K<sup>+</sup> seem to be well expressed by  $b = [A/(V - V_0)] \exp(-E/RT)$  ( $V$ : molar volume;  $V_0$ ,  $A$  and  $E$  are parameters) in the respective systems (Na-M)NO<sub>3</sub> ( $M = K, Rb$  and  $Cs$ ) and (K-M)NO<sub>3</sub> ( $M = Rb$  and  $Cs$ ). The internal mobilities in the binary alkali nitrate melts can be qualitatively rationalised in terms of the attraction effect, the free space effect and the agitation effect.

## Introduction

In previous studies we have measured the ratios of the internal mobilities of two cations in binary alkali nitrate melts with a countercurrent electromigration method, the Klemm method [1]. The binary alkali nitrate systems whose internal mobility ratios have so far been studied with this method are listed in Table 1.

Besides in these systems, we have also studied the internal mobilities in (Li-Tl)NO<sub>3</sub> [8], (Rb-Tl)NO<sub>3</sub> [8] and (Li-NH<sub>4</sub>)NO<sub>3</sub> [9]. In all these systems except (K-Rb)NO<sub>3</sub> [3] and (Rb-Tl)NO<sub>3</sub> [8], the Chemla effect [10, 11] has been observed for the isotherms of the internal mobilities, that is, the reversal of the relative velocities of the two cations in certain ranges of concentration and temperature.

In the present study two systems (Na-K)NO<sub>3</sub> and (K-Cs)NO<sub>3</sub> were chosen, which will be referred to as (I) and (II), respectively.

In (I), the ratio of the internal mobilities had already been measured at one concentration and temperature with the Klemm method [2], while that of the external mobilities had been measured with the Hittorf method [12] and the glass-fibre-paper

method [13]. There is a large discrepancy between these data. Thus, it is one aim of the present study to remeasure the ratios in a wide range of concentration and temperature with the Klemm method. It has been undertaken also in the hope that it will validate the empirical formula which had been obtained for the internal mobility of Na<sup>+</sup> ions,  $b_{Na}$ , in the systems (Na-M)NO<sub>3</sub> ( $M = Rb$  [6] and  $Cs$  [5]):

$$b_{Na} = \frac{A}{(V - V_0)} \exp\left(-\frac{E}{RT}\right), \quad (1)$$

where  $V$  is the molar volume of the mixtures,  $R$  the gas constant,  $T$  the temperature, and  $A$ ,  $E$  and  $V_0$  parameters, independent of  $M$ .

As regards (II), it is particularly interesting to learn whether the Chemla effect occurs in this system, as it had not been found in binary systems consisting of K<sup>+</sup> and another cation larger than K<sup>+</sup>.

Table 1. Binary alkali nitrate systems ( $M_1 - M_2$ )NO<sub>3</sub> whose internal cationic mobility ratios have been measured with the Klemm method [1].

$M_1 \backslash M_2$	Na	K	Rb	Cs
Li	[5]	[7]	[4]	[4]
Na	—	[2] <sup>a</sup> , this work	[6]	[5]
K	—	—	[3]	this work
Rb	—	—	—	—

<sup>a</sup> Measured at an NaNO<sub>3</sub> concentration of 91.8 mol% at 649 K.

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## Experimental

NaNO<sub>3</sub> and KNO<sub>3</sub> of reagent grade were used. The CsNO<sub>3</sub> was provided by Soekawa Chemicals Ltd. in Tokyo with a purity more than 99%. Possible moisture was removed with the procedure described previously [4, 5].

The electromigration cell and the experimental procedure were similar to those used in previous studies [4–6].

In (I) at a concentration of  $p_K = 1$  ( $p_K$ : mol fraction of KNO<sub>3</sub>), radioactive <sup>24</sup>Na whose half life is ca. 15.0 h was employed, which was produced by irradiating ca. 20 mg NaNO<sub>3</sub> with thermal neutrons at a Triga II type nuclear reactor at Atomic Energy

Research Laboratory, Musashi Institute of Technology. The irradiated NaNO<sub>3</sub> was poured into a ca. 30 g KNO<sub>3</sub> melt contained in a small quartz vessel; the concentration of the Na<sup>+</sup> ions in this melt was virtually negligible. The way by which the separation tube was filled with the KNO<sub>3</sub> melt containing <sup>24</sup>Na was similar to that used in other runs in the present study, previously described in [14]. After electromigration, the radioactivity in each fraction (about 1 cm long) of the separation tube was counted with a well type NaI(Tl) scintillation counter for more than 30 h; then, the radioactivity at a fixed time was calculated by extrapolation of the decay curve.

## Results

The relative differences in internal mobilities of two cations 1 and 2,  $\varepsilon_{12}$ , can be calculated from the equation given previously [8]. In the case of virtually pure KNO<sub>3</sub> containing <sup>24</sup>Na as a tracer,  $\varepsilon_{12}$  is calculated by [8]:

$$\varepsilon_{12} = \frac{F}{Q} \sum \left( \frac{S_i}{S_0} - 1 \right) n_i, \quad (2)$$

Table 2. Results for the system (Na-K)NO<sub>3</sub>.  $Q$  is the transported charge.

Run	T/K	$p_K$	$Q/C$	$\varepsilon_{12}$
1	633	1.0	3971	$0.009 \pm 0.001$
2	655		5172	$0.005 \pm 0.001$
3	675		2497	$-0.001 \pm 0.002$
4	710		2328	$-0.004 \pm 0.001$
5	673	$0.941 \pm 0.001$	2505	$0.002 \pm 0.001$
6	704		2623	$-0.001 \pm 0.001$
7	710		3229	$-0.002 \pm 0.001$
8	628		2866	$0.009 \pm 0.001$
9	645	$0.929 \pm 0.001$	2703	$0.007 \pm 0.001$
10	661		2748	$0.006 \pm 0.002$
11	688		2808	$0.002 \pm 0.001$
12	697		2800	$0.002 \pm 0.001$
13	602	$0.815 \pm 0.001$	2107	$0.013 \pm 0.001$
14	634		2159	$0.010 \pm 0.001$
15	693		2048	$0.004 \pm 0.001$
16	549		2041	$0.021 \pm 0.001$
17	568	$0.629 \pm 0.004$	2030	$0.019 \pm 0.001$
18	597		1875	$0.016 \pm 0.001$
19	683		2875	$0.006 \pm 0.002$
20	566		2997	$0.018 \pm 0.001$
21	582	$0.441 \pm 0.007$	1965	$0.017 \pm 0.001$
22	622		2501	$0.014 \pm 0.002$
23	683		2511	$0.007 \pm 0.002$
24	566		2616	$0.017 \pm 0.001$
25	598	$0.280 \pm 0.008$	1913	$0.015 \pm 0.003$
26	649		2797	$0.012 \pm 0.002$
27	693		2860	$0.007 \pm 0.001$
28	644		2954	$0.010 \pm 0.001$
29	686	$0.158 \pm 0.005$	2986	$0.007 \pm 0.002$
30	584		2931	$0.016 \pm 0.001$
31	655		2555	$0.007 \pm 0.001$
32	680		2750	$0.006 \pm 0.001$
33	612	$0.077 \pm 0.001$	2802	$0.012 \pm 0.001$
34	621		2612	$0.010 \pm 0.001$
35	647		2733	$0.008 \pm 0.001$
36	673		2803	$0.006 \pm 0.001$

Table 3. Results for the system (K-Cs)NO<sub>3</sub>.  $Q$  is the transported charge.

Run	T/K	$p_{Cs}$	$Q/C$	$\varepsilon_{12}$
101	642	$0.977 \pm 0.001$	2965	$-0.003 \pm 0.002$
102	694		2046	$-0.005 \pm 0.003$
103	719		2658	$-0.007 \pm 0.002$
104	676	$0.926 \pm 0.001$	2879	$-0.001 \pm 0.001$
105	689		1998	$-0.002 \pm 0.003$
106	703		2252	$-0.003 \pm 0.001$
107	635	$0.793 \pm 0.002$	2452	$0.007 \pm 0.001$
108	661		3332	$0.005 \pm 0.001$
109	696		2469	$0.000 \pm 0.001$
110	601	$0.611 \pm 0.001$	2026	$0.013 \pm 0.001$
111	627		2091	$0.010 \pm 0.002$
112	653		2654	$0.010 \pm 0.001$
113	702	$0.527 \pm 0.001$	2839	$0.008 \pm 0.001$
114	585		2000	$0.018 \pm 0.002$
115	626		2635	$0.015 \pm 0.001$
116	680	$0.300 \pm 0.001$	2302	$0.010 \pm 0.001$
117	633		2727	$0.018 \pm 0.002$
118	687		2346	$0.014 \pm 0.001$
119	705	$0.103 \pm 0.002$	2230	$0.013 \pm 0.001$
120	592		2258	$0.024 \pm 0.001$
121	660		2560	$0.020 \pm 0.001$
122	696	$0.062 \pm 0.003$	3038	$0.018 \pm 0.001$
123	624		3225	$0.024 \pm 0.001$
124	640		2634	$0.023 \pm 0.001$
125	700		2553	$0.020 \pm 0.001$

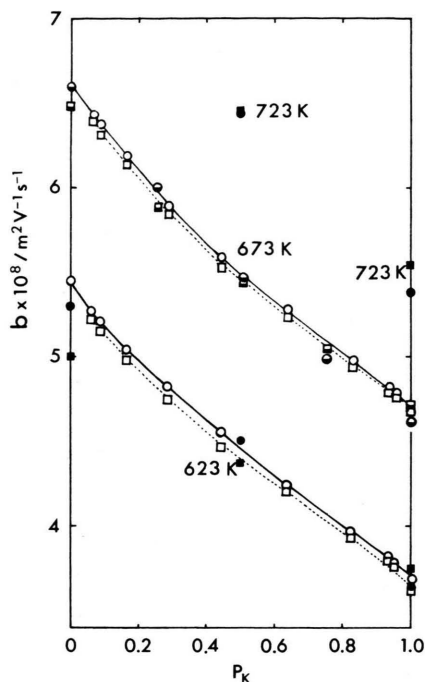


Fig. 1. Internal cation mobilities vs. mole fraction of  $\text{KNO}_3$  in the system  $(\text{Na-K})\text{NO}_3$ .  $\circ$ :  $b_{\text{Na}}^a$ ;  $\square$ :  $b_{\text{Na}}^a$  [12];  $\bullet$ :  $b_{\text{Na}}^a$  [13];  $\square$ :  $b_K$ ;  $\square$ :  $b_K^a$  [12];  $\blacksquare$ :  $b_K^a$  [13]. — ( $^a$  evaluated from external mobility.)

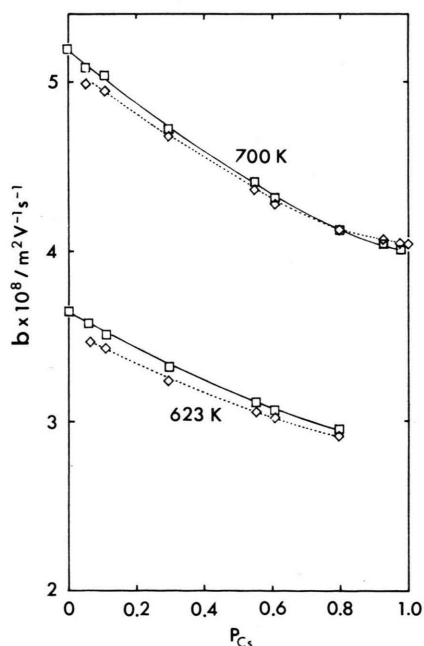


Fig. 2. Internal cation mobilities vs. mol fraction of  $\text{CsNO}_3$  in the system  $(\text{K-Cs})\text{NO}_3$ .  $\square$ :  $b_K$ ;  $\diamond$ :  $b_{\text{Cs}}$ .

where  $n$  is the quantity of  $\text{KNO}_3$ ,  $S = c/n$  the specific radioactivity, ( $c$ : radioactivity, e.g., counts per minute),  $F$  the Faraday constant, and  $Q$  the transported charge; the suffixes  $i$  and  $0$  refer to the samples in the  $i$ -th fraction and before electromigration, respectively. The summation was taken from the fraction nearest to the anode up to the sample in which the specific activity was practically the same as before electromigration.

The values of  $\varepsilon_{12}$  are given together with the main experimental conditions in Table 2 for (I) and in Table 3 for (II).

The internal mobilities of the cations were calculated from the present data and the available data on the densities and conductivities [15]. The resulting mobility isotherms are shown in Fig. 1 for (I) together with the results derived from the Hittorf method [12] and the glass-fibre-paper method [13] and in Fig. 2 for (II).

## Discussion

In (I),  $b_{\text{Na}}$  and  $b_K$  obtained in the present study are in satisfactory agreement with those estimated from the external mobilities obtained with the Hittorf method [12] and the glass-fibre-paper method [13]. The Chemla effect is observed also in the present study, as seen from Table 2. The cross points of the isotherms, however, appear at somewhat higher concentration of  $\text{KNO}_3$  in the present study than in the latter two studies; for example, at 673 K the cross point is found at  $p_K \approx 1$  in the present work, whereas it is observed at  $p_K \approx 0.6$  in the Hittorf method [12].

Since the Klemm method enables one to measure accurately very small differences in the internal mobilities of two ions (e.g. isotopic differences) [1], we believe this method is preferable in the present case.

Our data are in contrast to those obtained by Lundén with the Klemm method [2], in which the value of  $\varepsilon_{12}$  is very large ( $\varepsilon_{12} = 0.59$  at  $p_{\text{Na}} = 0.918$  at  $376^\circ\text{C}$ ). The reason of this discrepancy is not clear.

In order to learn whether  $b_{\text{Na}}$  in (I) obeys Eq. (1) as found for the systems  $(\text{Na-Rb})\text{NO}_3$  [6] and  $(\text{Na-Cs})\text{NO}_3$  [5], the reciprocal of  $b_{\text{Na}}$  in these three systems are plotted at 573 K, 623 K and 673 K against the molar volume in Figure 3. The values of  $b_{\text{Na}}$  in the system  $(\text{Li-Na})\text{NO}_3$  [5] are also shown in Fig. 3 for comparison. The solid lines in Fig. 3 are

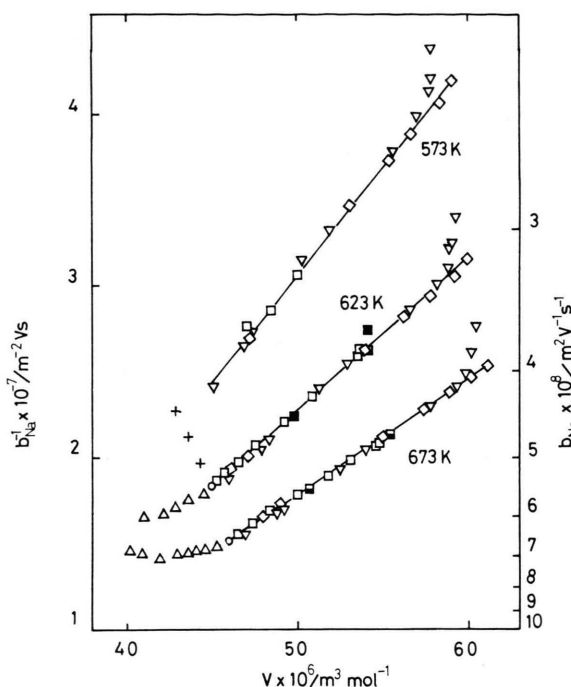


Fig. 3. The reciprocal of the internal mobilities of  $\text{Na}^+$  vs. molar volume in binary systems  $(\text{Na-M})\text{NO}_3$ .  $\Delta$ :  $\text{M} = \text{Li}$  [5];  $\circ$ :  $\text{Na}^a$ ;  $+$ :  $\text{Na}^a$  under high pressure at 623 K [16, 17];  $\square$ :  $\text{K}$ ;  $\blacksquare$ :  $\text{K}^b$  [12];  $\blacksquare$ :  $\text{K}^b$  [13];  $\nabla$ :  $\text{Rb}$  [6];  $\diamond$ :  $\text{Cs}$  [5]. — ( $a$  pure  $\text{NaNO}_3$ ,  $b$  evaluated from external mobility.)

drawn according to Eq. (1) with the parameter values listed in Table 4, which were calculated previously [6]. Thus, it is ascertained that  $b_{\text{Na}}$  in the systems  $(\text{Na-M})\text{NO}_3$  ( $\text{M} = \text{K}, \text{Rb}$  and  $\text{Cs}$ ) is well expressed by Eq. (1) with the same parameters for all  $\text{M}$ , except for  $\text{Rb}$  in the low concentration region of  $\text{NaNO}_3$  ( $p_{\text{Na}} < 0.1$ ) [6].

In order to learn whether similar formulas hold also for  $b_{\text{K}}$  and  $b_{\text{Cs}}$ , the reciprocals of  $b_{\text{K}}$  and  $b_{\text{Cs}}$  are

Table 4. Parameter values for the empirical equation  $b_{M_1} = \{A/(V - V_0)\} \exp(-E/RT)$  in the alkali nitrate systems  $(M_1 - M_2)\text{NO}_3$  ( $M_1 \cong M_2$  in size).

$M_1$	$A \times 10^{11}$ $\text{m}^5 \text{V}^{-1} \text{s}^{-1} \text{mol}^{-1}$	$E$ $\text{kJ mol}^{-1}$	$V_0 \times 10^6$ $\text{m}^3 \text{mol}^{-1}$	Ref.
Li	2.84	17.80	24.7	[5]
Na	4.94	19.71	25.8 (573 K) 25.0 (623 K) 24.2 (673 K)	[6]
K	4.21	16.74	10.5	This work

plotted against  $V$  in Figs. 4 and 5, respectively. In the systems  $(\text{K-Rb})\text{NO}_3$  [3] and  $(\text{K-Cs})\text{NO}_3$ ,  $b_{\text{K}}$  seems to be expressed by Eq. (1) with the parameters given in Table 4, although there is only a limited number of data in the case of  $\text{Rb}$ . In the systems  $(\text{Li-K})\text{NO}_3$  and  $(\text{Na-K})\text{NO}_3$ ,  $b_{\text{K}}$  seems to

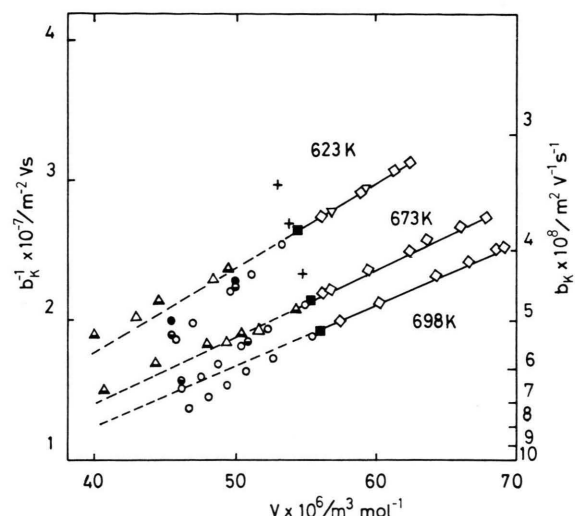


Fig. 4. The reciprocal of the internal mobilities of  $\text{K}^+$  vs. molar volume in binary systems  $(\text{K-M})\text{NO}_3$ .  $\Delta$ :  $\text{M} = \text{Li}$  [7];  $\Delta$ :  $\text{Li}^a$  [18];  $\circ$ :  $\text{Na}$ ;  $\odot$ :  $\text{Na}^a$  [12];  $\bullet$ :  $\text{Na}^a$  [13];  $\blacksquare$ :  $\text{K}^b$ ;  $+$ :  $\text{K}^b$  under high pressure at 673 K [16, 17];  $\nabla$ :  $\text{Rb}$  [3];  $\diamond$ :  $\text{Cs}$ . — ( $a$  evaluated from external mobility,  $b$  pure  $\text{KNO}_3$ .)

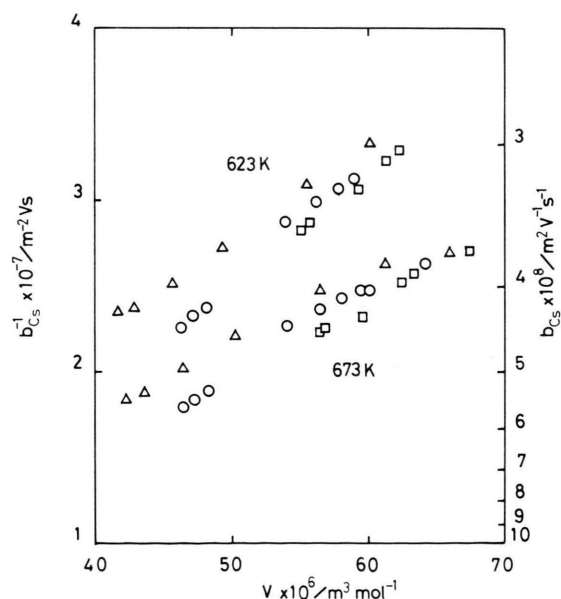


Fig. 5. The reciprocal of the internal mobilities of  $\text{Cs}^+$  vs. molar volume in binary systems  $(\text{Cs-M})\text{NO}_3$ .  $\Delta$ :  $\text{M} = \text{Li}$  [4];  $\circ$ :  $\text{Na}$  [6];  $\square$ :  $\text{K}$ .

deviate slightly from Eq. (1), while  $b_{Cs}$  could not be expressed by Eq. (1), as can be seen from Figure 5.

Previously we have assumed that the internal mobility is strongly related to the separating motion of neighbouring unlike ions [8], and have shown further that apparently anomalous phenomena concerning electric transport of ionic melts (such as the Chemla effect and the conductivity maximum against temperature) can be well explained qualitatively on the basis of this assumption. Taking the alkali nitrates as examples, we will show that the following three factors mainly rule the separating motion of unlike ions: (i) the attraction effect, (ii) the free space effect and (iii) the agitation effect.

The pair potential wells between  $M^+$  and  $NO_3^-$  are very deep compared with the kinetic energy and therefore an ion pair  $M-NO_3$  cannot be separated unless other ions are present near it. When another  $NO_3^-$  ( $S$  in Fig. 6) is present, the  $M^+$  can be moved away from the referenced  $NO_3^-$  ( $R$  in Figure 6). The separating motion of  $M^+$  is assumed to be strongly related to the probability of finding another  $NO_3^-$  toward which the  $M^+$  is to move. This probability may be related also to the coordination number of  $M^+$ . As the ionic "size" of  $M^+$  becomes larger, the variation in this probability combined with the variation in the distance between the two  $NO_3^-$  ( $R$  and  $S$ ) will become less sensitive, as schematically shown in Figure 6. The average distance between two neighbouring  $NO_3^-$  should be a function of the number density of  $NO_3^-$  and hence of the molar volume of the nitrate melts. Therefore, as the size of  $M^+$  becomes larger, the separating motion of the  $M^+$

and hence  $b_M$  will be less sensitive to the variation in molar volume. This might be the main reason for the Chemla effect.

In brief, a cation is attracted by a neighbouring anion and then moves away from its referenced anion. We will name it the *attraction effect* that causes the separating motion on the basis of the above mentioned mechanism. If the cation moves from one anion to another with the mechanism based only on the attraction effect, the velocity of the separating motion may be determined by the pair potential between unlike ions, the size and mass of the cation and the number density of the anion, and should not be explicitly related to the kind of coexisting cations. Equation (1) satisfies these requirements for the separating motion. Therefore, (1) could be considered to express mainly the attraction effect.

The *free space effect* should be also taken into account only when the volume of the free space is small relative to the size of  $M^+$ . Namely, this effect plays an important role for larger cations such as  $Rb^+$  and  $Cs^+$  particularly at lower temperature. The free space is defined here as the total volume minus the volume occupied by ion "cores". It is clear that, if the volume of the free space is small enough,  $M^+$  cannot be moved away from its referenced anion to another. The free space effect can be explicitly evidenced also by the decrease of  $b$  in pure salts with increasing pressure, as can be seen from Figures 3, 4. It should be mentioned that the free space effect and the attraction effect act on the separating motion in opposite directions with respect to the volume variation of free space.

The *agitation effect* can be considered to arise from the motion of a small and light ion. It can easily change the position and the shape of the free space, which will promote the separating motion of other pairs of unlike ions, as schematically shown in Figure 7. Even if a large cation  $M^+$  is going to move away from  $R$  along the "surface" of  $S$ , it has a high probability of coming back to  $R$ , if the speed of the separating motion of the two anions ( $R$  and  $S$ ) is comparatively slow and if the free space necessary of this large ion is hard to be created along the surface of  $S$ . When small and light ions coexist, however, these will give rise to the agitation effect; namely, (i) the separating motion of  $R$  and  $S$  will be increased and (ii) the free space around  $S$  toward which the  $M^+$  can move is to be more readily

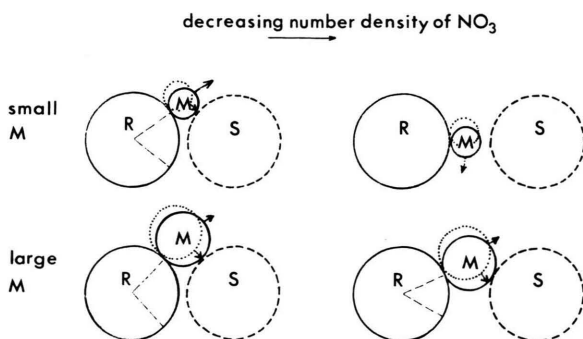


Fig. 6. Schematic representation of the motion of a small and a large ion ( $M$ ) from the referenced  $NO_3^-$  ( $R$ ) toward another  $NO_3^-$  ( $S$ ) at high and low number densities of the  $NO_3^-$ . For simplicity,  $NO_3^-$  is roughly approximated to be of spherical shape.

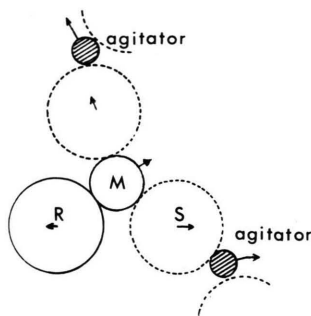


Fig. 7. Schematic representation of the agitation effect by small and light ions (agitators) on the separating motion of  $M^+$  from the referenced  $NO_3^-$  (R).

created. These will, in turn, promote the separating motion of  $M^+$  from R.

On the other hand, if  $M^+$  is small in size and hence light in the present case, the  $M^+$  will have a relatively low probability of going back to R, because the thermal motion of the  $M^+$  is great and the free space is large enough for the  $M^+$  to move away from R. Thus, the agitation effect for coexisting ions is expected to be less effective for internal mobilities of the smaller cations.

The existence of the agitation effect has been recognised, e.g., by molecular dynamics simulations of molten LiCl. The separating motion of given pairs of Li-Cl becomes greater when the fictive mass of other coexisting  $Li^+$  ions becomes lighter [19].

The fact that in binary ionic melts the mobilities of the two ions are generally in the same order of magnitude even if the ionic sizes of the two ions are considerably different could be due to the agitation effect, and this is in contrast with the observation in solids where cooperative effects such as the agitation effect cannot be expected.

The attraction effect works in all cases, while the free space effect and the agitation effect effectively function only if some conditions are fulfilled.

As stated above, in the system  $(Li-K)NO_3$ ,  $b_K$  is somewhat smaller than expressed by the empirical formula valid in the systems  $(K-Rb)NO_3$  and  $(K-Cs)NO_3$ , whereas the opposite is true for  $(Na-K)NO_3$ . This is presumably because the free space effect overcompensates the agitation effect in the system  $(Li-K)NO_3$  and vice versa in the system  $(Na-K)NO_3$ .

In the binary alkali nitrate systems  $(M-Cs)NO_3$ , the  $M^+$  is smaller than  $Cs^+$  in size and therefore, both the free space effect and the agitation effect are expected to function for  $b_{Cs}$ . Therefore, it is reasonable that  $b_{Cs}$  cannot be expressed by a unified simple function of  $V$ .  $b_{Cs}$  increases with  $M$  at a given molar volume in the order, Li, Na, K. This is presumably true because the number of  $M^+$  which act as "agitators" is greater in this order in spite of the reversed order for the agitation effect. e.g.,  $p_{Li} = 0.24$ ,  $p_{Na} = 0.30$  and  $p_K = 0.52$  at  $V = 60 \times 10^{-6} \text{ m}^3 \text{ mol}^{-1}$  at 600 K. It is inferred from the above stated findings in  $(Li-K)NO_3$  that also in the system  $(Li-Cs)NO_3$  the free space effect would overcompensate the agitation effect.

To summarise, the electric transport in most binary alkali nitrate melts can be well interpreted in terms of the attraction effect, the free space effect and the agitation effect. In the alkali nitrate melts  $(M_1 - M_2)NO_3$  ( $M_1 < M_2$  in size), the internal mobilities of  $M_1^+$  can be, in general, expressed by Eq. (1) with parameter values depending only on  $M_1^+$  and irrespective of the kind and concentration of  $M_2$ ; this equation can be attributed mainly to the attraction effect. On the other hand, for the mobilities of  $M_2^+$ , Eq. (1) should be modified. When the free space effect predominates,  $b_{M_2}$  becomes smaller than expressed by (1). Meanwhile, when the agitation effect is greater than the free space effect,  $b_{M_2}$  becomes larger than expected by this equation.

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